

	Inherent Qualities			Old Equation	New Equation	New Equation	New Equation	Prime Numbers	Relative Abundance $* + F = E$
	Vertexes	Faces	Edges	$V + F = E + 2$	$* + F = E$	$\div 2$ ②	reduced to common factor		
Tetrahedron	4	4	6	$4 + 4 = 6 + 2$	$2 + 4 = 6$	$1 + 2 = 3$	1 (1+2=3)	$\rho^t = \psi^t \cdot \begin{pmatrix} 1 \\ 2 \\ 3 \\ 5 \\ 5 \end{pmatrix} \cdot \textcircled{1} \cdot [1 + 2 = 3] + \textcircled{2}$	
Octahedron	6	8	12	$6 + 8 = 12 + 2$	$4 + 8 = 12$	$2 + 4 = 6$	2 (1+2=3)		
Cube	8	12	18	$8 + 12 = 18 + 2$	$6 + 12 = 18$	$3 + 6 = 9$	3 (1+2=3)		
Icosahedron	12	20	30	$12 + 20 = 30 + 2$	$10 + 20 = 30$	$5 + 10 = 15$	5 (1+2=3)		
Vect. Equilib.	12	20	30	$12 + 20 = 30 + 2$	$10 + 20 = 30$	$5 + 10 = 15$	5 (1+2=3)		

DEFINITIONS:

- * Number of points (vertexes) other than those on poles = $(V - 2) = *$ = non-polar vertexes.
- ② Polarity Constant that modifies all systems under consideration, additive twoness.
- ① Zonality Constant (Zone of Tunability), multiplying twoness.
- V Number of vertexes.
- F Number of faces.
- E Number of edges.
- ψ Frequency - Modular breakdown.
- ρ Wave length.

Gibbs' Phase Rule: $F = C + 2 - P$

where: F = Degrees of Freedom, i.e. number of variables.
C = Number of Chemical Components.
P = Phases of the System.
2 = Constant.

The phase rule is an equation for determining the number of possible degrees of freedom (variables) that can be given arbitrary values in a system in equilibrium without upsetting the equilibrium. For example in a system consisting of ice, water, and water vapor, there are three phases: vapor, liquid, and crystalline; and one component: water. Therefore: $F = 0$. The three phases of water can coexist in equilibrium at a fixed temperature and pressure only, there are no degrees of freedom.




	Single-bonded	Double-bonded	Triple-bonded
Equivalents			
Phase	gas	liquid	crystalline
Bonds(vertexal)	single	double	triple
Connection	pin	hinge	fix
Inherent Qualities	vertex	edge	face

Fig. 1054.40